

## Complete list of published works

- [1] Camillo De Lellis and Ian Fleschler. An elementary rectifiability lemma and some applications. *Math. Res. Lett.*, 31(4):1029–1046, 2024.
- [2] Camillo De Lellis, Stefano Nardulli, and Simone Steinbrüchel. An Allard-type boundary regularity theorem for  $2d$  minimizing currents at smooth curves with arbitrary multiplicity. *Publ. Math. Inst. Hautes Études Sci.*, 140:37–154, 2024.
- [3] Elia Brué, Maria Colombo, Gianluca Crippa, Camillo De Lellis, and Massimo Sorella. Onsager critical solutions of the forced Navier-Stokes equations. *Commun. Pure Appl. Anal.*, 23(10):1350–1366, 2024.
- [4] Camillo De Lellis, Jonas Hirsch, Andrea Marchese, Luca Spolaor, and Salvatore Stuvard. Excess decay for minimizing hypercurrents mod  $2Q$ . *Nonlinear Anal.*, 247:Paper No. 113606, 2024.
- [5] Dallas Albritton, Elia Brué, Maria Colombo, Camillo De Lellis, Vikram Giri, Maximilian Janisch, and Hyunju Kwon. *Instability and non-uniqueness for the 2D Euler equations, after M. Vishik*, volume 219 of *Annals of Mathematics Studies*. Princeton University Press, Princeton, NJ, 2024.
- [6] Camillo De Lellis and Zihui Zhao. Dirichlet energy-minimizers with analytic boundary. *Indiana Univ. Math. J.*, 72(4):1367–1428, 2023.
- [7] Camillo De Lellis. The regularity theory for the area functional (in geometric measure theory). In *ICM—International Congress of Mathematicians. Vol. 2. Plenary lectures*, pages 872–913. EMS Press, Berlin, [2023] ©2023.
- [8] Camillo De Lellis, Guido De Philippis, Jonas Hirsch, and Annalisa Massaccesi. On the boundary behavior of mass-minimizing integral currents. *Mem. Amer. Math. Soc.*, 291(1446):v+166, 2023.
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- [10] Elia Brué and Camillo De Lellis. Anomalous dissipation for the forced 3D Navier-Stokes equations. *Comm. Math. Phys.*, 400(3):1507–1533, 2023.
- [11] Camillo De Lellis, Stefano Nardulli, and Simone Steinbrüchel. Uniqueness of boundary tangent cones for 2-dimensional area-minimizing currents. *Nonlinear Anal.*, 230:Paper No. 113235, 2023.
- [12] Camillo De Lellis and Hyunju Kwon. On nonuniqueness of Hölder continuous globally dissipative Euler flows. *Anal. PDE*, 15(8):2003–2059, 2022.
- [13] Camillo De Lellis, Guido De Philippis, and Jonas Hirsch. Nonclassical minimizing surfaces with smooth boundary. *J. Differential Geom.*, 122(2):205–222, 2022.
- [14] Camillo De Lellis and Vikram Giri. Smoothing does not give a selection principle for transport equations with bounded autonomous fields. *Ann. Math. Qué.*, 46(1):27–39, 2022.
- [15] C. De Lellis and L. Székelyhidi, Jr. Weak stability and closure in turbulence. *Philos. Trans. Roy. Soc. A*, 380(2218):Paper No. 20210091, 16, 2022.
- [16] Camillo De Lellis, Jonas Hirsch, Andrea Marchese, and Salvatore Stuvard. Area-minimizing currents mod  $2Q$ : linear regularity theory. *Comm. Pure Appl. Math.*, 75(1):83–127, 2022.
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